

Gravitino Decays and the Cosmological Lithium Problem in Light of the LHC Higgs and Supersymmetry Searches

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Motivation

Use BBN to constrain massive particle decay scenarios

In this work, we take gravitino as the massive decaying particle,
gravitino $\rightarrow \dots \rightarrow$ LSP + hadronic and electromagnetic showers

assume LSP = lightest neutralino = DM particle, and R-parity conservation

Try to solve ${}^7\text{Li}$ problem

$$\text{standard BBN : } \left(\frac{{}^7\text{Li}}{\text{H}}\right)_{\text{SBBN}} = (5.11^{+0.71}_{-0.62}) \times 10^{-10}$$

$$\text{observations : } \left(\frac{{}^7\text{Li}}{\text{H}}\right)_{\text{halo*}} = (1.23^{+0.34}_{-0.16}) \times 10^{-10}$$

$$\left(\frac{{}^7\text{Li}}{\text{H}}\right)_{\text{GC}} = (2.34 \pm 0.05) \times 10^{-10}$$

Method

SUSY model input (CMSSM, NUHM, subGUT models)

↓ RGEs

sparticle masses and couplings

↓

gravitino decay spectra

↓ PYTHIA

hadronic and electromagnetic showers

↓ $\zeta_{3/2} \equiv \frac{m_{3/2} n_{3/2}}{n_\gamma}$ and BBN code including non-thermal reactions

light element abundances prediction

↓ compare with observations

constraints on $m_{3/2}$, $\zeta_{3/2}$ and SUSY model parameters,
 ${}^7\text{Li}$ solved?

SUSY model studied

| ID | Model | Ref | $m_{1/2}$ | m_0 | A_0 | $\tan \beta$ | μ | m_χ | $m_{3/2}$ | $\zeta_{3/2}$ | $\tau_{3/2}$ | χ^2_{\min} |
|----|---------------|-----|-----------|-------|---------|--------------|-------|----------|-----------|-----------------------|--------------|-----------------|
| 1 | CMSSM | [a] | 905 | 361 | 1800 | 16 | > 0 | 395 | 4560 | 1.5×10^{-10} | 208 | 2.81 |
| 2 | CMSSM | [a] | 1895 | 1200 | 1200 | 50 | > 0 | 857 | 5520 | 1.8×10^{-10} | 231 | 2.86 |
| 3 | NUHM1 | [a] | 970 | 345 | 2600 | 15 | 2600 | 427 | 4600 | 1.2×10^{-10} | 220 | 2.82 |
| 4 | NUHM1 | [a] | 2800 | 1040 | 2100 | 39 | 3800 | 1288 | 6200 | 2.6×10^{-10} | 276 | 3.14 |
| 5 | CMSSM | [b] | 1115 | 1000 | 2500 | 40 | > 0 | 496 | 4800 | 1.6×10^{-10} | 213 | 2.87 |
| 6 | NUHM1 | [b] | 1175 | 1500 | 3000 | 40 | 500 | 499 | 5000 | 2.6×10^{-10} | 188 | 2.86 |
| 7 | NUHM1 | [b] | 1300 | 1000 | 2500 | 30 | -550 | 550 | 4700 | 1.0×10^{-10} | 258 | 2.87 |
| 8 | subGUT CMSSM | [b] | 2040 | 2200 | 5500 | 10 | > 0 | 1554 | 5400 | 1.6×10^{-10} | 214 | 2.96 |
| 9 | subGUT mSUGRA | [b] | 2400 | 4000 | Polonyi | 36 | > 0 | 1099 | 6000 | 1.6×10^{-10} | 239 | 2.91 |
| 10 | subGUT mSUGRA | [b] | 1700 | 2000 | Polonyi | 33 | > 0 | 1110 | 5100 | 1.6×10^{-10} | 219 | 2.89 |
| 12 | CMSSM | [a] | 905 | 361 | 1800 | 16 | > 0 | 395 | 4520 | 1.0×10^{-10} | 215 | 0.52 |

All mass parameters are in GeV, and the best-fit lifetime $\tau_{3/2}$ is in seconds.

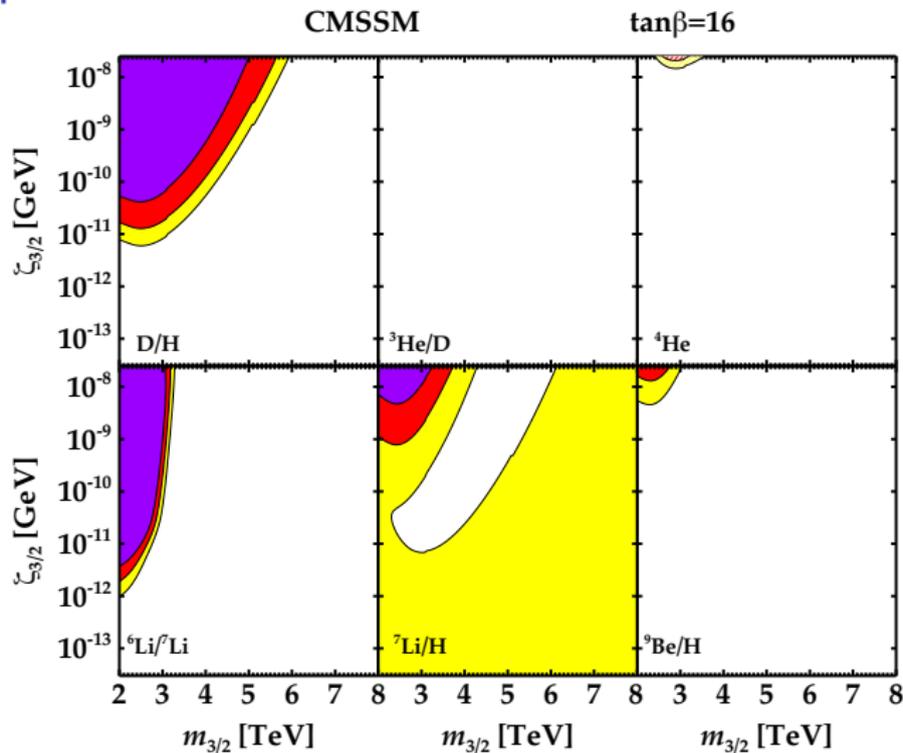
The subGUT CMSSM model assumes $M_{in} = 10^9$ GeV, and the subGUT mSUGRA models assumes $M_{in} = 10^{10}$ GeV.

In the final row, the χ^2 and best-fit values are computed using the ${}^7\text{Li}/\text{H}$ abundance as determined from globular clusters.

[a] Buchmueller *et al.* (1207.7315)

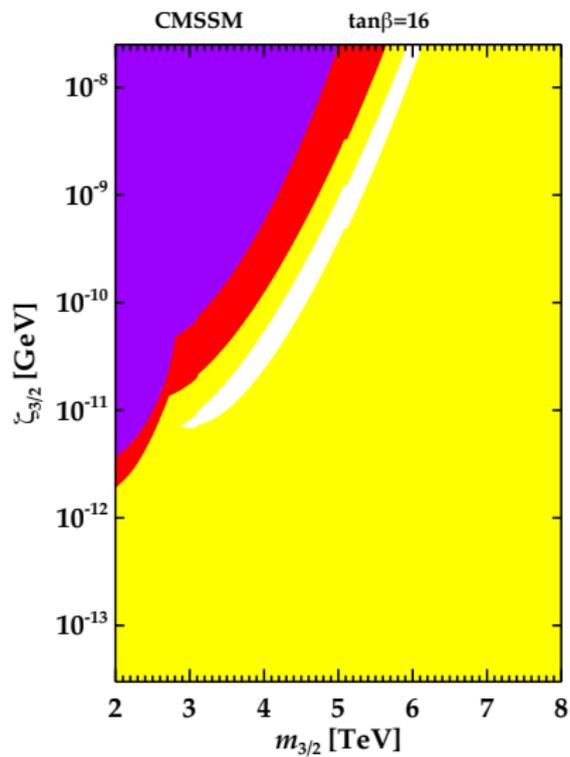
[b] Ellis, FL, Olive and Sandick (1212.4476)

An example: model 1



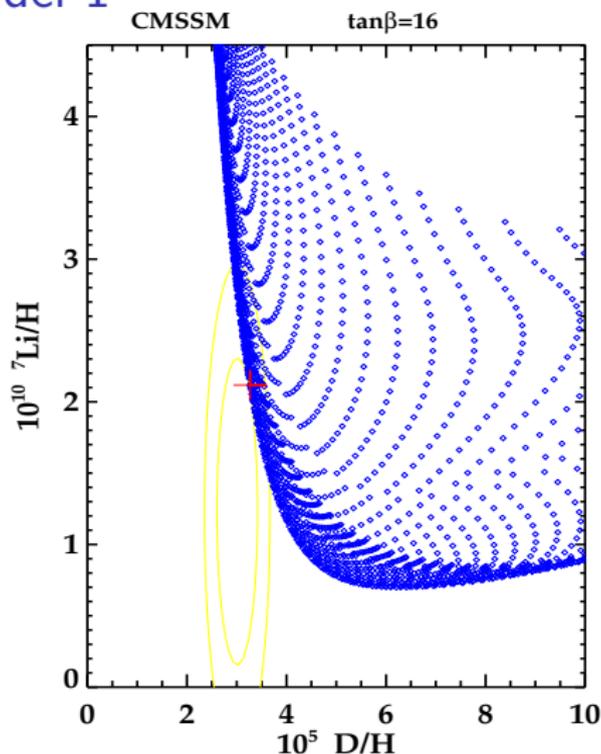
The unshaded regions in the panels are those consistent with the light-element abundance observations, whilst the yellow, red and magenta regions correspond to progressively larger deviations from the central values of the abundances.

An example: model 1



Combine all six panels.

An example: model 1



The blue points show the values found in scans for different values of $m_{3/2}$ and $\zeta_{3/2}$. The ellipses represent the one- and two- σ regions found by combining the D and ^7Li constraints. The red cross marks the best fit.

An example: model 1

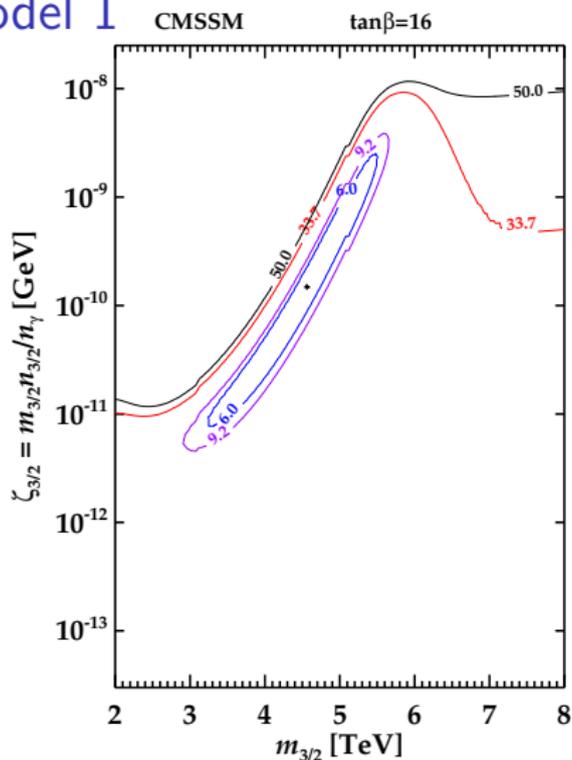
$$\chi^2 \equiv \left(\frac{Y_p - 0.2534}{0.0083} \right)^2 + \left(\frac{D/H - 3.01 \times 10^{-5}}{0.27 \times 10^{-5}} \right)^2 + \left(\frac{{}^7\text{Li}/H - 1.23 \times 10^{-10}}{0.71 \times 10^{-10}} \right)^2 + \left(\frac{\Omega_\chi^{(3/2)} h^2}{0.0045} \right)^2,$$

where

$$\Omega_\chi^{(3/2)} = \frac{m_\chi}{m_{3/2}} \frac{n_\gamma}{\rho_c} \zeta_{3/2}$$

is the density of neutralinos produced in gravitino decays.

An example: model 1

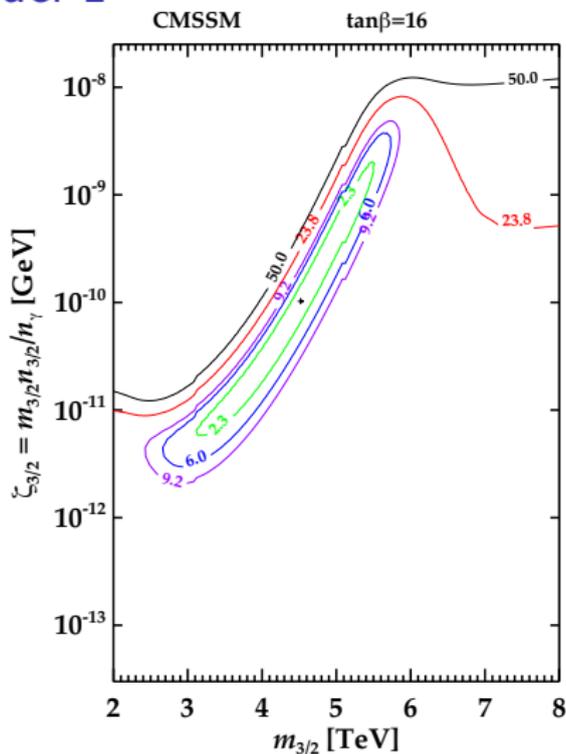


SBBN = 33.7 (for 3 degrees of freedom)

Best-fit point (marked by a black cross) = 2.81 (for $3 - 2 = 1$ d.o.f.)

Significant improvement: 33.7/3 vs. 2.81/1

An example: model 1



If use the globular cluster value for ${}^7\text{Li}/\text{H}$, then
SBBN = 23.8, Best-fit point = 0.52.

SUSY model studied

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Conclusions

- ▶ We see that the best-fit gravitino mass varies between 4.6 and 6.2 TeV, and its abundance in the narrow range between 1.0 and 2.6×10^{-10} GeV. The best-fit gravitino lifetimes fall in an even more narrow range, $\tau_{3/2} \sim 210 - 280$ sec. Thus the models all show a close similarity in the best-fit gravitino abundance and lifetime values.
- ▶ In view of this persistence of the massive gravitino solution to the ${}^7\text{Li}$ problem despite the impact of LHC results on the supersymmetric parameter space, we conclude that the late decays of massive gravitinos provide a robust solution to the cosmological ${}^7\text{Li}$ problem.

back up

Nuclear reactions of non-thermal particles

| | Reaction | Uncertainty ϵ | | Reaction | Uncertainty ϵ |
|----|--|------------------------|----|---|------------------------|
| 1 | $p^4\text{He} \rightarrow d^3\text{He}$ | | 2 | $p^4\text{He} \rightarrow np^3\text{He}$ | 20% |
| 3 | $p^4\text{He} \rightarrow ddp$ | 40% | 4 | $p^4\text{He} \rightarrow dnpp$ | 40% |
| 5 | $d^4\text{He} \rightarrow ^6\text{Li}\gamma$ | | 6 | $t^4\text{He} \rightarrow ^6\text{Li}n$ | 20% |
| 7 | $^3\text{He}^4\text{He} \rightarrow ^6\text{Li}p$ | 20% | 8 | $t^4\text{He} \rightarrow ^7\text{Li}\gamma$ | |
| 9 | $^3\text{He}^4\text{He} \rightarrow ^7\text{Be}\gamma$ | | 10 | $p^6\text{Li} \rightarrow ^3\text{He}^4\text{He}$ | |
| 11 | $n^6\text{Li} \rightarrow t^4\text{He}$ | | 12 | $pn \rightarrow d\gamma$ | |
| 13 | $pd \rightarrow ^3\text{He}\gamma$ | | 14 | $pt \rightarrow n^3\text{He}$ | |
| 15 | $p^6\text{Li} \rightarrow ^7\text{Be}\gamma$ | | 16 | $p^7\text{Li} \rightarrow ^8\text{Be}\gamma$ | |
| 17 | $p^7\text{Be} \rightarrow ^8\text{B}\gamma$ | | 18 | $np \rightarrow d\gamma$ | |
| 19 | $nd \rightarrow t\gamma$ | | 20 | $n^4\text{He} \rightarrow dt$ | |
| 21 | $n^4\text{He} \rightarrow npt$ | 20% | 22 | $n^4\text{He} \rightarrow ddn$ | 40% |
| 23 | $n^4\text{He} \rightarrow dnnp$ | 40% | 24 | $n^6\text{Li} \rightarrow ^7\text{Li}\gamma$ | |
| 25 | n (thermal) | | 26 | $n^7\text{Be} \rightarrow p^7\text{Li}$ | |
| 27 | $n^7\text{Be} \rightarrow ^4\text{He}^4\text{He}$ | | 28 | $p^7\text{Li} \rightarrow ^4\text{He}^4\text{He}$ | |
| 29 | $n\pi^+ \rightarrow p\pi^0$ | | 30 | $p\pi^- \rightarrow n\pi^0$ | |
| 31 | $p^4\text{He} \rightarrow ppt$ | 20% | 32 | $n^4\text{He} \rightarrow nn^3\text{He}$ | 20% |
| 33 | $n^4\text{He} \rightarrow nnnpp$ | | 34 | $p^4\text{He} \rightarrow nnp pp$ | |
| 35 | $p^4\text{He} \rightarrow N^4\text{He}\pi$ | | 36 | $n^4\text{He} \rightarrow N^4\text{He}\pi$ | |

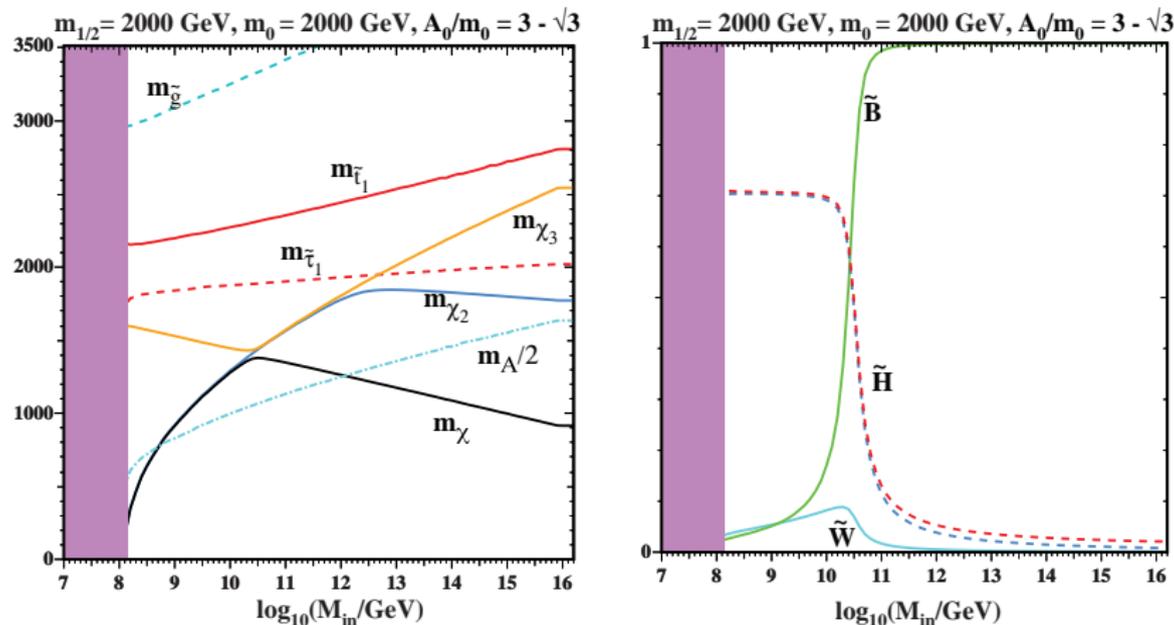


Figure: The evolution of (left) the sparticle spectrum and (right) the composition of the LSP χ as functions of M_{in} in a specific sub-GUT Polonyi $mSUGRA$ scenario with $m_{1/2} = m_0 = 2000$ GeV.