

Signatures of the Least Supersymmetric Standard Model

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- Introduction
- The model: two sources of SUSY breaking
- Signatures: the third family of sfermions
- Conclusions

Worked based on:

AD and M. Quirós PRD 85 (2012) 015001

J. de Blas, AD and B. Ostdiek PRD 87 (2013) 115026

Introduction

- With the discovery of the Higgs the SM is now a complete description for particle physics (forgetting DM).
- On the other hand that same discovery by itself makes the theory fine-tuned.
- The lack of any other experimental evidence makes us believe that either the SM is the only theory above the Fermi scale or....

- We need to explain why the EW scale is **still natural** without any new particle at the **EW scale**.
- One possibility that I will follow in this talk is that, in fact, in the MSSM, the mass of the Higgs points to a heavy stop spectrum.

$$m_h^2 \simeq m_z^2 \cos^2 2\beta + \frac{3y_t^2 m_t^2}{4\pi^2} \log \left(\frac{m_S^2}{m_t^2} \right) + \dots$$

- Therefore since the **stops** have to be heavy one can allow the **first and second generations** of sparticles to be much heavier than the third one since their contribution to the fine-tuning is small. **This will explain why we have not seen them.**
- On the other hand the stops **cannot be** arbitrarily heavy because of the Higgs mass.

- This kind of scenarios in where the first two generations are **heavy** are known as **natural susy** scenarios.
- They have different phenomenology since there are much less **cascade** decays.
- Can these scenarios be realized on a top-down approach?

- Yes (if not I won't be giving this talk)
- In general one needs, at least, **two different sources of susy breaking**:
 - One for the **heavy** sfermions
 - Another one for the **third family** (plus gauginos)

The Model

- Supersymmetry is broken in a hidden sector
- And communicated via two mechanisms:
 - Gauge mediation (flavorful) to the first two generations
 - Gravity mediation to the third one and gauginos

$$X = M_* + \theta^2 F$$

- This scenario has the following key features:
 - No flavor problem in the first two families since gauge mediation is flavor blind.
 - Possibility of using the Giudice-Masiero mechanism to generate μ and B , for this to happen the Higgses should not get masses from gauge mediation.
 - Generation of A -terms for the third family.

- The realization is as follows:
 - There is a new gauge group $U(1)$ under which the first two families are charged with opposite charges.
 - The third family and the Higgses are uncharged under this new group.

	ψ_1	ψ_2	ψ_3	$H_{u,d}$	φ_1	φ_2	S
Q'	+1	-1	0	0	+1	-1	0

- $\psi_{1,2}$ represent the first and second generation ψ_3 the third generation, $\varphi_{1,2}$ and S are needed to break the extra $U(1)$

- Assuming the usual **superpotential** with some messengers charged under the U(1):

$$W = \Phi_2 X \Phi_1$$

- One generates the following mass for all third generation scalars (plus the extra **gaugino**):

$$m^2 = \frac{g^2}{128\pi^4} \frac{F^2}{M_*^2}$$

- The existence of the extra U(1) forbids some Yukawa couplings for the first and second generations but they can be generated via non-renormalizable operators.

$$\frac{1}{M_*^2} (y_{11}\varphi_2^2 \psi_1 H \psi_1^c + y_{22}\varphi_1^2 \psi_2 H \psi_2^c) + \frac{1}{M_*} (y_{13}\varphi_2 \psi_1 H \psi_3^c + y_{23}\varphi_1 \psi_2 H \psi_3^c)$$

- To reproduce the CKM one needs to break the U(1) and:

$$v/M_* \sim 10^{-2}$$

- One can **break** the extra U(1) group via the following **superpotential**:

$$W = \lambda S(\varphi_1 \varphi_2 - v^2)$$

- Once the gauge group is broken all **extra** fields (φ , S , gauge bosons and its superpartners) get a mass of order **v**.

- The **gravitino** will get a mass (from the cancelation of the cosmological constant).

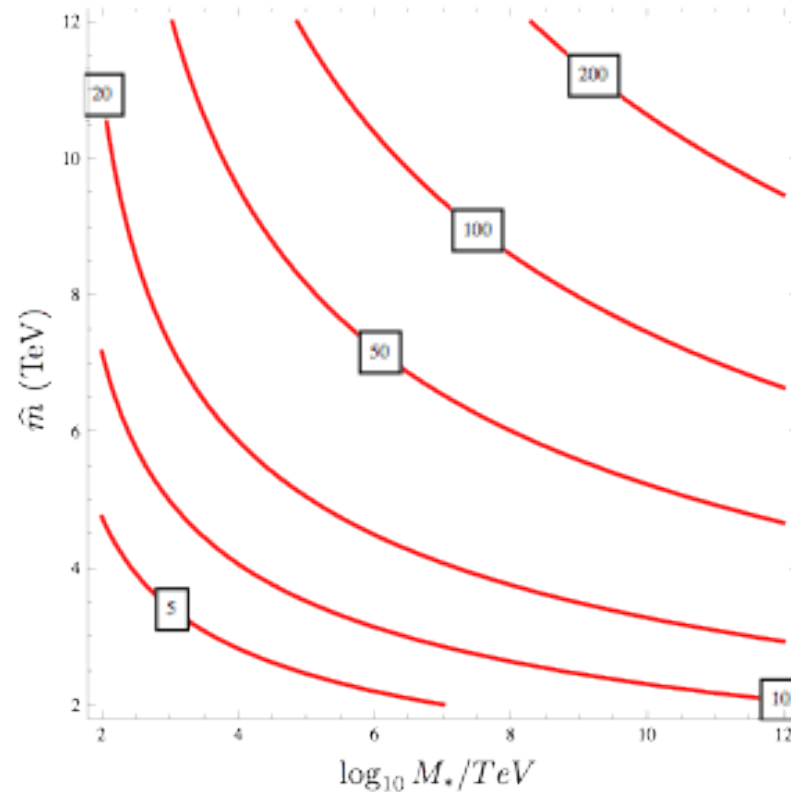
$$m_{3/2} \simeq \frac{F}{\sqrt{3}M_P}$$

- It will be communicated to the third family via the **operators**:

$$\frac{1}{M_P^2} \int d^4\theta X X^\dagger Q_i^\dagger Q_j, \quad \frac{1}{M_P} \int d^2\theta X Q_i H_2 U_j^c, \quad \frac{1}{M_P} \int d^2\theta X W^A W^A \quad \int d^4\theta X^\dagger H_1 H_2, \quad \int d^4\theta X^\dagger X (H_1 H_2 + h.c.)$$

$$m_0 = M_{1/2} = A_0 = \mu = B = O(m_{3/2})$$

How to fix the overall scale?



- To fix the scale of the first two families, a **fine-tuning** less than .5% is imposed.

- This fixes all the scales:

- $M_* = 10^{15} \text{ GeV}$

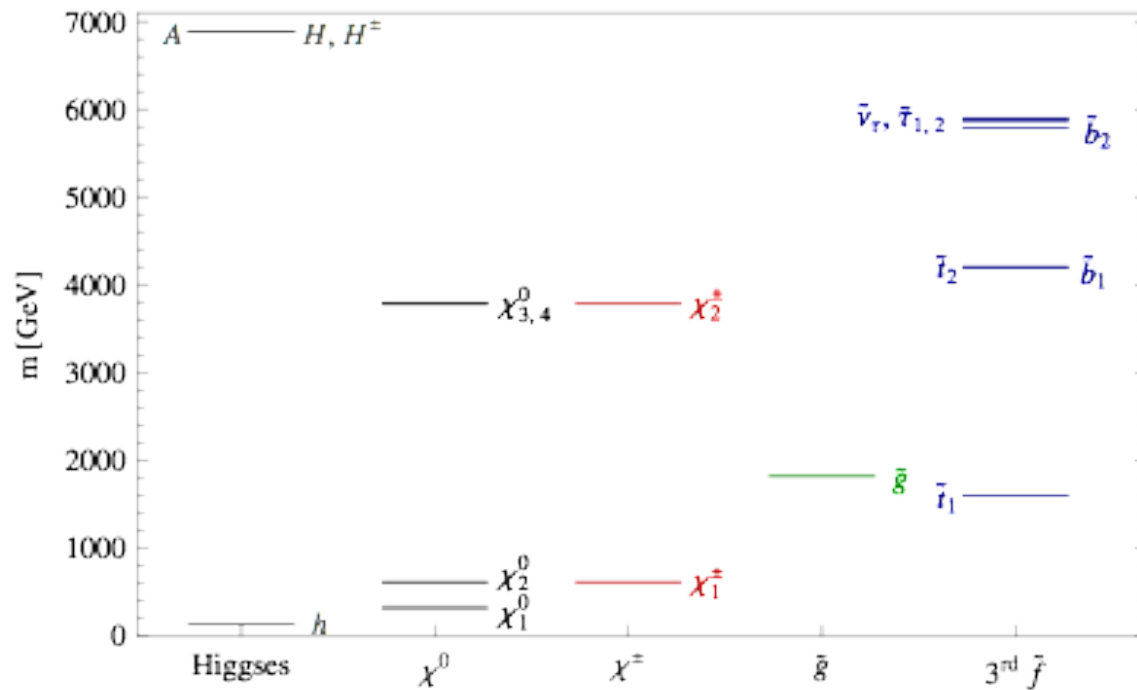
- $v = 10^{13} \text{ GeV}$

- $F = (10^{10})^2 \text{ GeV}$

- $m_{1,2} = O(10 \text{ TeV})$

- $m_3, M_{1/2} = O(1 \text{ TeV})$

- In order to study the phenomenology of the model:
- EW breaking is imposed
- The Higgs mass is imposed to be 125 GeV
- All experimental constrains are satisfied
- $m_{1,2} > 10 \text{ TeV}$



$\tan \beta = 10$

- This is scenario A, scenario B is similar but with the mass of the gluino of 2.25 TeV

Phenomenology of the LSSM

- Not having the first of second generation makes most of the **cascade** decays unavailable
- For **EWinos** we have the following processes:

$$\chi' \rightarrow \begin{cases} \chi W/Z \\ \chi h \\ f\bar{f} \ (f = \tau, t, b) \end{cases}$$

- But the cross-section is too **low**:

$$\sigma(pp \rightarrow \chi + X) = 0.7 \text{ ab}$$

- We are left with either direct production of **stops** or production of **gluinos** which then decay into stops (**sbottoms** are heavier)

- But:

$$\sigma(pp \rightarrow \tilde{g}\tilde{g}) = 1.612 \text{ fb}, \sigma(pp \rightarrow \tilde{t}\tilde{t}) = 0.1 \text{ fb}$$

- Therefore the signal we will look for is:

$$pp \rightarrow \tilde{g}\tilde{g}, \tilde{g} \rightarrow t\tilde{t} \rightarrow b\bar{b}W^+W^-\chi$$

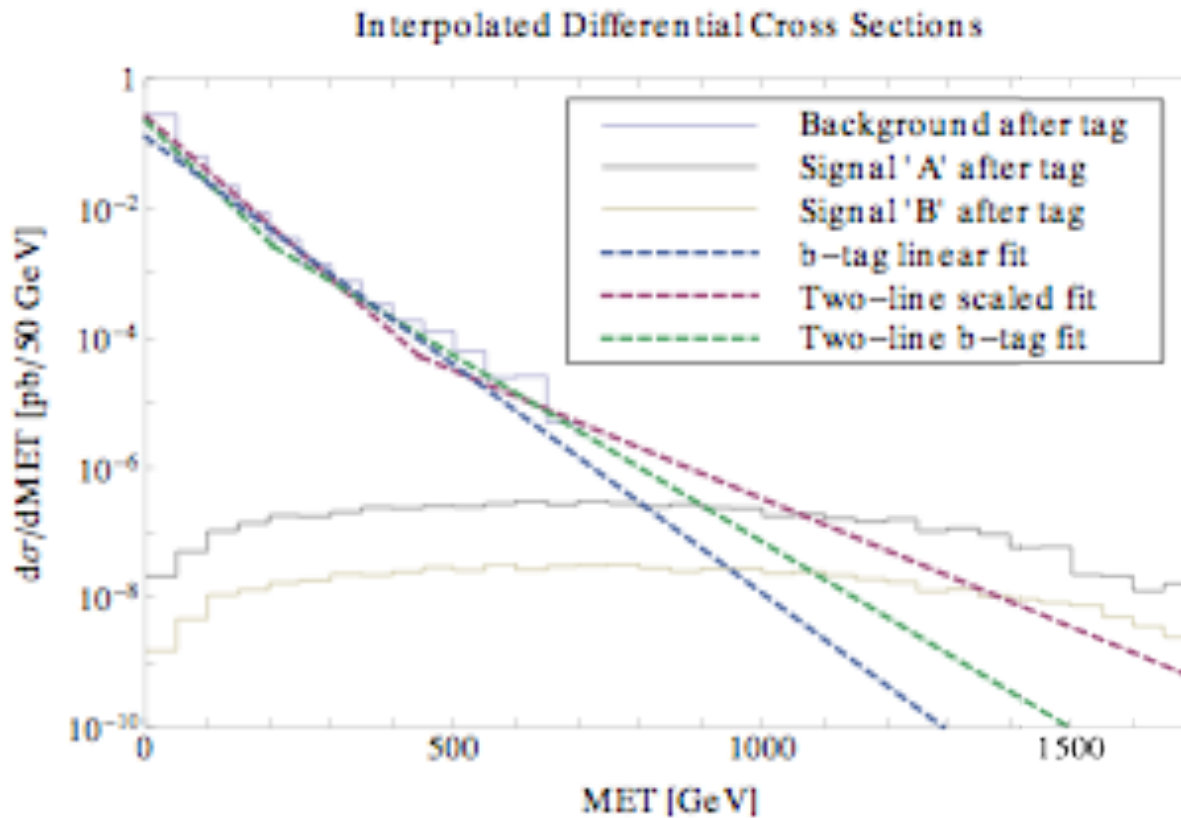
- The signal is calculated with **Feynrules** and **Madgraph5**, **Pythia6** for hadronization and **PGS** for detector simulation
- The main backgrounds are:
 - tops+jets: calculated with **ALPGEN**
 - tops+W/Z+jets: calculated with **Madgraph**

	Before b -tag	After b -tag
Signal Point A	1.612 fb	0.286 fb
Signal Point B	0.170 fb	0.032 fb
Background	1477 pb	19.18 pb

A: $m_g = 1.75$ TeV

B: $m_g = 2.25$ TeV

- We will demand **three** loose b -tags.
- We will demand **four** other jets and **no** photons in the final state.



- Due to lack of computing power we had to **extrapolate** the background

Estimation Method	\tilde{L}_T^{Cut} [GeV]	$\sigma_{\text{IS}}^{\text{Estimated}}$ [ab]	σ_{S} [ab]	S $\mathcal{L} = 200 \text{ fb}^{-1}$	B (1000 fb^{-1})	S/\sqrt{B} (1000 fb^{-1})
Linear	850 (950)	17.1 (3.73)	106.6 (10.8)	21 (11)	3 (4)	11.5 (5.6)
Two-Line	950 (1100)	10.4 (1.43)	80.7 (7.01)	16 (7)	2 (1)	11.2 (5.9)
Two-Line (Scaled)	1100 (1400)	14.7 (0.96)	50.3 (2.26)	10 (2)	3 (1)	5.9 (2.3)

- Whereas a gluino of 1.75 TeV (A) seems feasible in LHCl4, a 2.25 (B) seems more doubtful in this conservative analysis.

Conclusions

- In this talk I have introduced a realization for 'natural susy' based on two sources of susy breaking
 - Gauge mediation for the first two families
 - Gravity mediation for the third family, gauginos and Higgses
- In this top-down approach I have shown the prospects for discovery at the LHC producing gluinos that decays to stops. The reach seems to be for masses around 2 TeV.